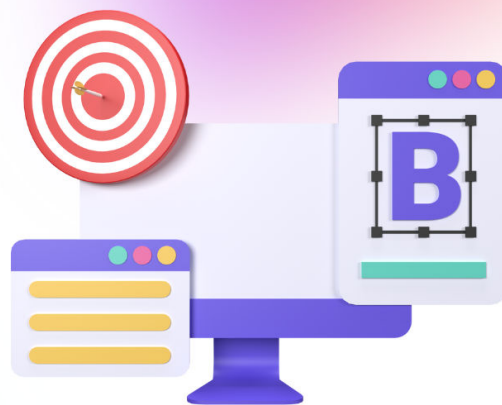


COFACTOR FORMULA

In the field of mathematics, a cofactor is what we call a scalar entity (which has no direction) that is related to a given element in a matrix. For any given matrix A , the cofactor at let's say a row ' i ' and column ' j ' is represented as C_{ij} and is computed by taking the determinant of the submatrix created by deleting the i -th row and the j -th column and then multiplying it by $(-1)^{ij}$.

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Q1: How is a cofactor different from a determinant?

- A: A cofactor is always a positive number.
 - B: A cofactor is a single value, while a determinant is a matrix.
 - C: A cofactor is used in matrix operations, while a determinant is not.
 - D: A cofactor is the same as a determinant.
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Q2: What is the formula for calculating the cofactor of an element (a_{ij}) in a matrix?

- A: $\text{Cofactor}(a_{ij}) = a_{ij}$
 - B: $\text{Cofactor}(a_{ij}) = (-1)^{(i+j)} * \text{Minor}(a_{ij})$
 - C: $\text{Cofactor}(a_{ij}) = \text{Minor}(a_{ij}) / \text{Determinant}$
 - D: $\text{Cofactor}(a_{ij}) = a_{ij} / (i + j)$
-

Q3: What is the cofactor of an element located in the first row and second column of a matrix?

- A: A cofactor is always 1.
 - B: A cofactor is always -1.
 - C: It depends on the matrix size.
 - D: A cofactor is determined by the element's value.
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Q4: Which operation does the cofactor formula not employ:

- A: Finding the determinants
 - B: Finding the inverse of matrices
 - C: Using Cranmer's Rule
 - D: Using distribution
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Q5: Cranmer's Rule is used to:

- A: Solve systems of linear equations
 - B: Solve systems of any kind of equations
 - C: Solve linear equations
 - D: None of the above
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Q6: Cofactor expansion is also known as:

- A: Commonplace expansion
 - B: Factor expansion
 - C: Laplace expansion
 - D: Determinant expansion
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Q7: What best describes cofactor expansion:

- A: The process used for computing the cofactor of a square matrix by dividing it into smaller submatrices.
 - B: The process used for computing the determinant of a square matrix by dividing it into smaller submatrices.
 - C: The process used for computing the inverse of a square matrix by dividing it into smaller submatrices.
 - D: None of the above
-

Q8: What are minors?

- A: Minors are the determinants of a submatrix of a bigger matrix
 - B: Minors are the inverse of a submatrix of a bigger matrix
 - C: Minors are the cofactors of a submatrix of a bigger matrix
 - D: All of the above
-

Q9: How does a cofactor differ from a minor?

- A: Cofactors are vector quantities that are related to a particular element in a matrix whereas minors are the determinants of a submatrix of a bigger matrix.
 - B: Cofactors are scalar quantities that are related to a particular element in a matrix whereas minors are the inverse of a submatrix of a bigger matrix.
 - C: Cofactors are scalar quantities that are related to a particular element in a matrix whereas minors are the determinants of a submatrix of a bigger matrix.
 - D: Cofactors are scalar quantities that are not related to a particular element in a matrix whereas minors are the determinants of a submatrix of a bigger matrix.
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Q10: What role do cofactors play in matrix algebra?

- A: Cofactors help in computing the inverse of a matrix by adding up the products of the entities of any row or column with their related cofactors
 - B: Cofactors help in computing the determinants of a submatrix by adding up the products of the entities of any row or column with their related cofactors
 - C: Cofactors help in computing the determinants of a matrix by adding up the products of the entities of any row or column with their related cofactors
 - D: Cofactors add up the products of the entities of any row or column with their related determinants.
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Answers

Q1: B - A cofactor is a single value, while a determinant is a matrix.

Q2: B - $\text{Cofactor}(a_{ij}) = (-1)^{(i+j)} * \text{Minor}(a_{ij})$

Q3: B - A cofactor is always -1.

Q4: D - Using distribution

Q5: A - Solve systems of linear equations

Q6: C - Laplace expansion

Q7: B - The process used for computing the determinant of a square matrix by dividing it into smaller submatrices.

Q8: A - Minors are the determinants of a submatrix of a bigger matrix

Q9: C - Cofactors are scalar quantities that are related to a particular element in a matrix whereas minors are the determinants of a submatrix of a bigger matrix.

Q10: C - Cofactors help in computing the determinants of a matrix by adding up the products of the entities of any row or column with their related cofactors